

Strategic Cross-Border Capacity Planning Under Uncertainty



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founding members



Introduction

- This research is a part of the SESAR H2020 project Advanced Capacity and Demand Management for European Network Performance Optimization – **CADENZA**
- **Problem addressed:** recurring ATFM delays (e.g. summer 2018/19) caused by demand-capacity imbalances (e.g. variable demand, “rigid” capacity)
- **Proposed approach:** Advanced Demand-Capacity Balancing (ADCB) acting simultaneously on three levers: *capacity* (in time and space), *demand in time* (departure slot) and *demand in space* (flight routes/profiles)
- **Goal of the CADENZA** is to define and evaluate different options for demand-capacity balancing to **improve overall network performance**

Concept

- Different options to establish demand-capacity balance

Capacity management	Demand management	Network performance optimisation	DCB phase
Flexibility in time	Administrative	Local-oriented	Strategic
Flexibility in space	Economic incentives	Network-oriented	Pre-tactical
Combined	Hybrid	“In between”	Tactical

News vendor Problem: Expectation is hard to evaluate

We seek to minimize expected displacement and capacity cost:

where
$$\min_{\mathbf{h}} E[G(S|\mathbf{h})] + \gamma^T \mathbf{h}$$

- $\mathbf{h} = (h_a)_{a \in A}$ is the vector of sector hours ordered for each airspace a
- $\gamma = (\gamma_a)_{a \in A}$: vector of unit costs of one sector hour for each airspace a
- S : random variable containing all information on materialization of uncertain effects (number of flights, trajectory choices, disruptions)
- $G(S|\mathbf{h})$: **NP-hard!** minimum displacement cost to accommodate flights in scenario S under capacity budget \mathbf{h} – involves both flight-to-route assignments and sector opening scheme optimization

Deterministic approximation

1. Generate sample scenarios S_1, \dots, S_K
2. Obtain best budget vector for a given scenario $k = 1, \dots, K$
$$S_k \rightarrow \mathbf{h}^*(S_k) = \operatorname{argmin}_{\mathbf{h}} G(S_k | \mathbf{h}) + \boldsymbol{\gamma}^T \mathbf{h}$$
3. Select budget vector from K solutions $\mathbf{h}^*(S_k)$ according to some heuristic rule

Starita et al. Air Traffic Control Capacity Planning Under Demand and Capacity Provision Uncertainty. *Transportation Science* 54(4), pp. 855-1152 (2020)

Approach adapted to allow for cross-border effects through definition of airspace configurations.

Assumption: central pool of cross-border capacity

Deterministic approach: Obtain best budget for fixed scenario

Cost of running configuration c in airspace a for one time unit

$$\min_{y,z} \sum_{a \in A} \sum_{c \in C^a} \sum_{u \in U} \gamma_{ac} z_{acu} + \sum_{f \in F^S} \sum_{r \in R_f} d_{fr} y_{fr}$$

Minimize capacity cost and displacement cost

$$\text{s.t.} \quad \sum_{f \in F^S} \sum_{r \in R_f} b_{frpu} y_{fr} z_{acu} \leq \kappa_p^S z_{acu}$$

Traffic in sector p is constrained by sector capacity κ_p^S

$$\forall a \in A, c \in C^a, p \in P^c, u \in U$$

$$\sum_{r \in R_f} y_{fr} = 1 \quad \forall f \in F^S$$

Each flight f needs to be assigned to a route r

$$\sum_{c \in C^a} z_{acu} = 1 \quad \forall a \in A, u \in U$$

Each airspace a at time u needs to have exactly one configuration c

$$z_{acu} \in \{0, 1\} \quad \forall a \in A, c \in C^a, u \in U$$

Decision to run configuration c in airspace a at time u

$$y_{fr} \in \{0, 1\} \quad \forall f \in F^S, r \in R_f.$$

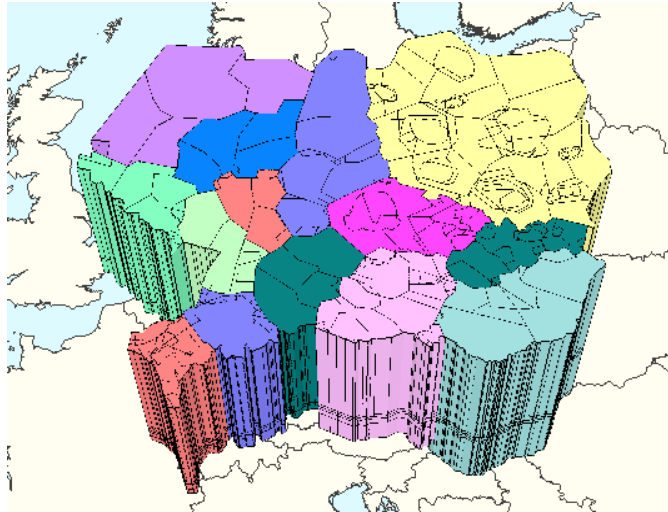
Decision to assign flight f to route r

Results from a small-scale case study

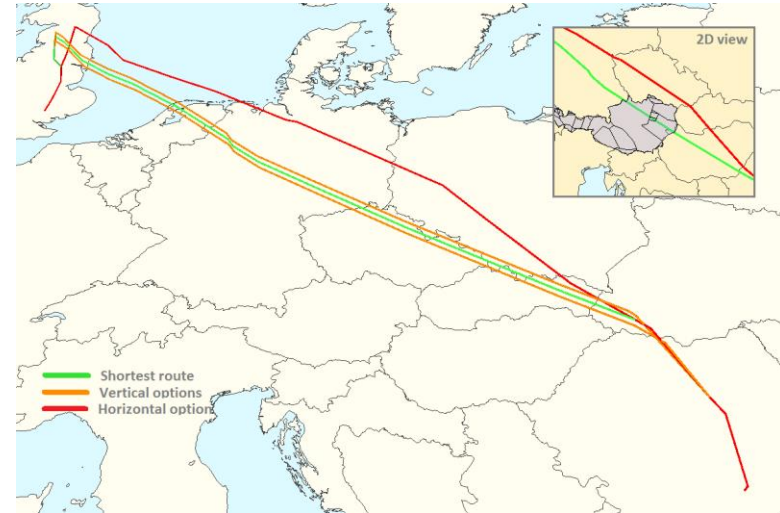
8 ANSPs

15 ACCs/sector groups

173 configurations

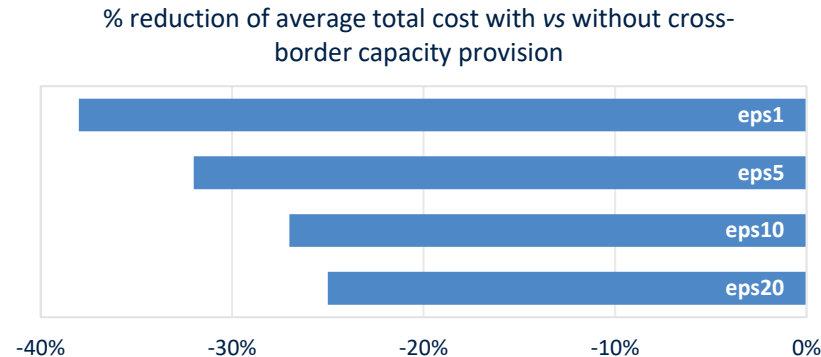


1400 flights (1200 scheduled
and 200 non-scheduled)



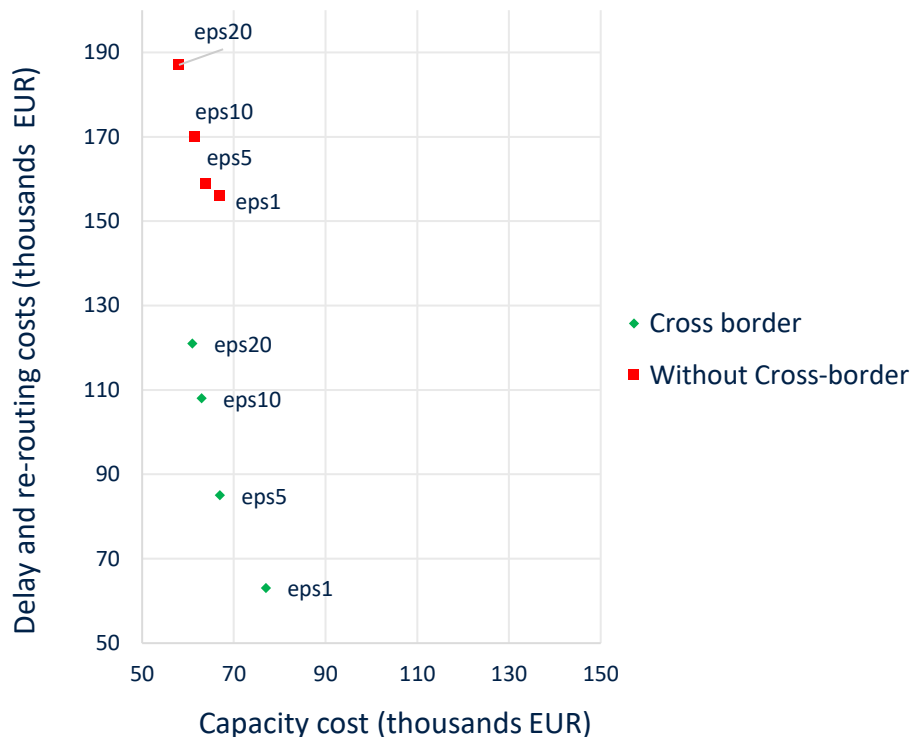
Results from a case study

- Total cost reduction across different policies with cross-border capacity provision “enabled”
- The more risk-averse the policy, the higher the savings: this is because cross-border provision acts as an insurance against disruptions



Results from a case study

- Cross-border capacity provision increases cost of capacity provision, but reduces cost of delays and re-routings, thus improving total cost efficiency
- Also improved:
 - More direct routings
 - Number of flights with longer delays



Conclusions and outlook

- Network-oriented capacity planning with cross-border capacity provision offers potential to improve network performance across different indicators based on a small-scale case study
- Stochastic solution approach
- “Regional” cross-border capacity provision
- Medium- to large-scale case studies



Advanced Capacity and Demand Management for European Network Performance Optimization

<https://cadenza-project.eu/>

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